

# **Nature of Solar Wind Turbulence at Kinetic Scales**

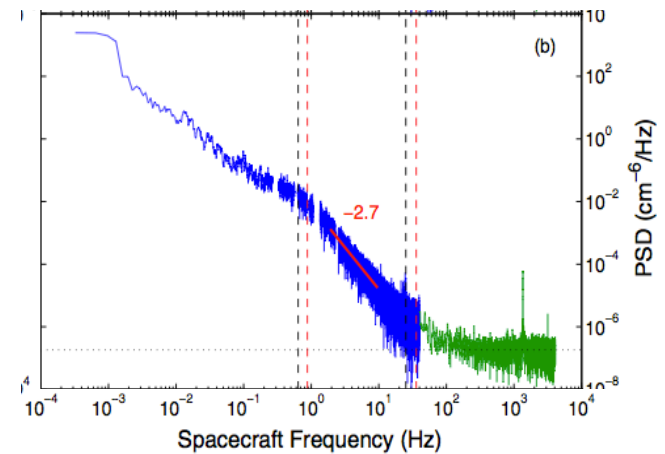
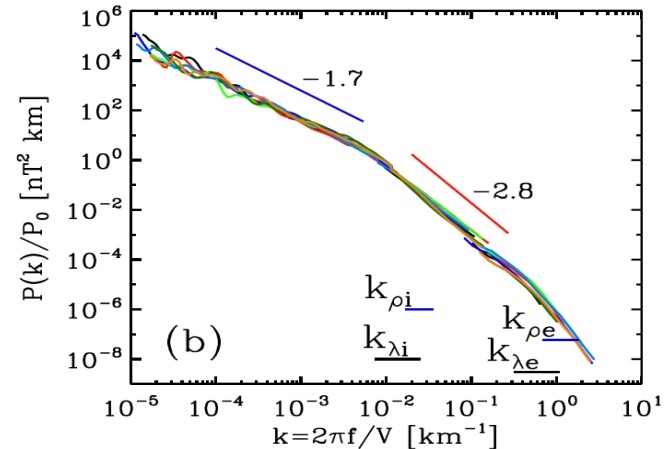
# Topics

- 1. Nature of kinetic scale turbulence (Chen et al. 2013 PRL)
- 2. Transition scale from MHD to kinetic range (Chen et al. 2014 GRL)
- 3. Magnetic rotations in the kinetic range (Chen et al. 2015 MNRAS)

# 1. Nature of Kinetic Scale Turbulence

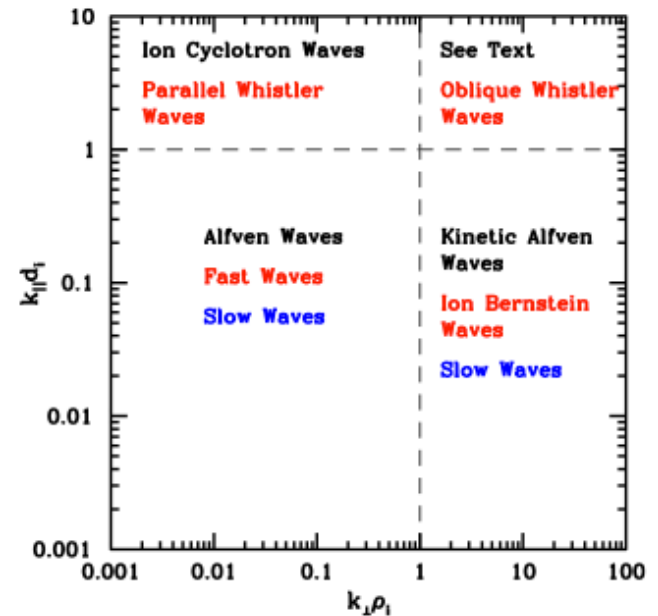
# Turbulence in the Kinetic Scale Range

- Magnetic spectrum has spectral index  $\approx -2.8$  in kinetic range
- Recently have been able to measure density spectrum:  $-2.75 \pm 0.06$
- Steeper than  $-7/3$  pure cascade:
  - electron Landau damping (Howes et al. 2011 PRL)
  - intermittency, 2D sheets:  $-8/3$  spectrum (Boldyrev et al. 2012 ApJL)
  - compressibility (Alexandrova et al. 2008 ApJL)
  - other possibilities...
- But what is the nature of this turbulence?



# Possible Waves at Kinetic Scales

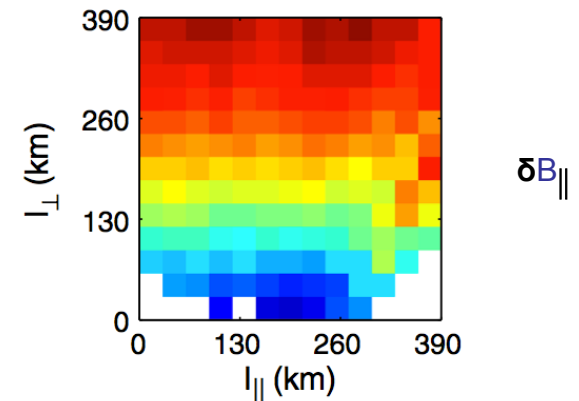
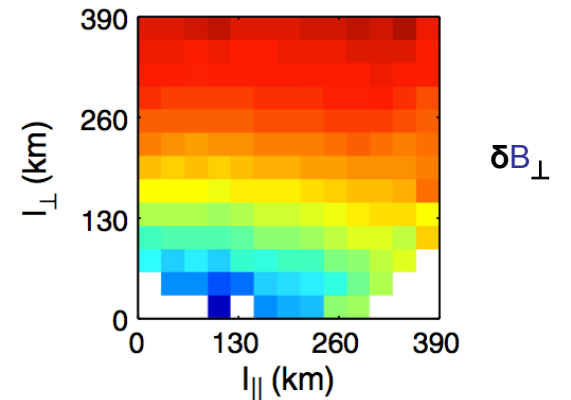
- Solar wind fluctuations have properties similar to linear waves, suggesting relevance of linear term, e.g. critical balance
- At MHD scales turbulence is predominantly polarised as Alfvén waves,  $r_A = \delta v^2 / \delta b^2 \sim 1$  (Belcher & Davis 1971 JGR)
- At kinetic scales we have: ion cyclotron waves, kinetic Alfvén waves, whistler waves, ion Bernstein waves, etc.
- How can we determine which are relevant for the solar wind?



TenBarge et al. 2012 ApJ

# Anisotropy at Kinetic Scales

- First step is to determine the anisotropy
- Multi-spacecraft *Cluster* measurement between ion and electron scales
- Power contours are elongated in parallel direction
  - anisotropic eddies
  - $k_{\perp} > k_{\parallel}$
- Suggests that one of the oblique electromagnetic modes is dominant
  - kinetic Alfvén wave
  - oblique whistler wave



Chen et al. 2010 PRL

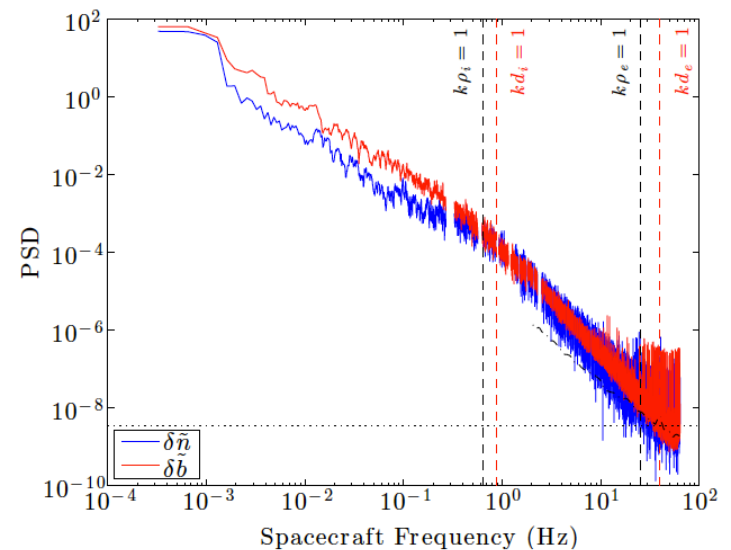
# KAW vs Whistler Turbulence

- Similar in many ways but:
  - whistler:  $\delta\tilde{n}^2/\delta\tilde{b}_\perp^2 \ll 1$  (ions stationary)
  - KAW:  $\delta\tilde{n}^2/\delta\tilde{b}_\perp^2 = 1$

$$\tilde{n} = \left(1 + \frac{T_i}{T_e}\right)^{\frac{1}{2}} \frac{v_s}{v_A} \left[1 + \left(\frac{v_s}{v_A}\right)^2 \left(1 + \frac{T_i}{T_e}\right)\right]^{\frac{1}{2}} \frac{n_e}{n_0}$$

$$\tilde{\mathbf{b}} = \mathbf{B}/B_0$$

- Check with THEMIS / ARTEMIS data
- Kinetic Alfvén ratio  $r_{\text{KAW}} = \delta\tilde{n}^2/\delta\tilde{b}_\perp^2 \sim 1$   
→ predominantly kinetic Alfvén turbulence
- In fact, magnetic energy slightly dominates (effect of non-linear terms?)



Chen et al. 2013 PRL

# Implications of KAW Turbulence

- Similar results seen in simulations (Chen et al. 2013 PRL, Boldyrev et al. 2013 ApJ, Franci et al. 2015 ApJL)
- Consistent with transition from anisotropic Alfvénic MHD range
- Further evidence that linear physics can determine (to order unity) field relationships in strong turbulence
- KAW turbulence is low frequency
  - Taylor’s hypothesis can be used (Klein et al. 2014 ApJL)
  - efficiency of cyclotron damping is reduced (Schekochihin et al. 2009 ApJS)



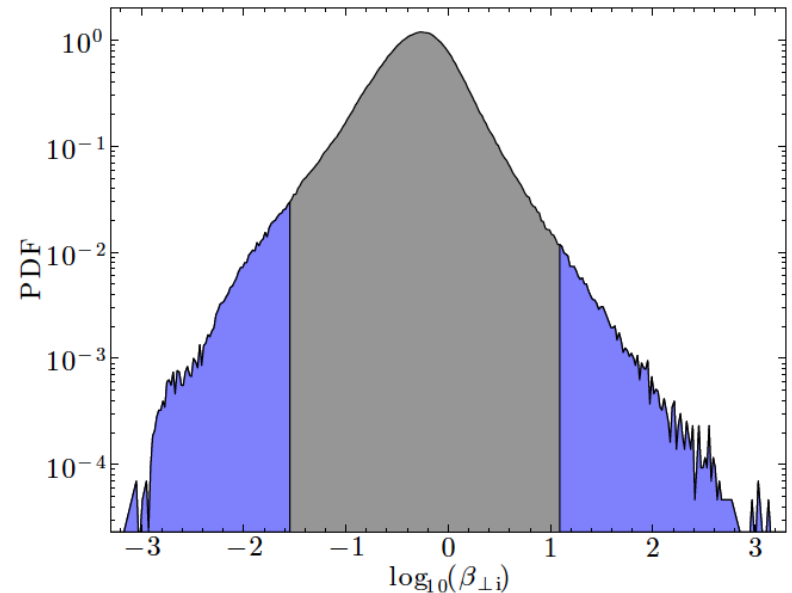
## 2. Ion Break Scale

# Ion Break Scale

- So which scale is associated with the break?
  - Kinetic Alfvén wave dispersive/damping scale  $\rho_i$
  - Hall MHD transition  $d_i$  (current sheets?)
  - Others: cyclotron damping scale, gyrofrequency, ...
- Previous studies came to different conclusions
  - Leamon et al. 2000:  $d_i$  and oblique propagation
  - Smith et al. 2001:  $d_i$  at low beta
  - Markovskii et al. 2008: combination of scale and amplitude
  - Perri et al. 2010: no theoretical scale
  - Bourouaine et al. 2012:  $d_i$  assuming strong anisotropy
  - Bruno et al. 2014: cyclotron damping scale

# High and Low Beta Intervals

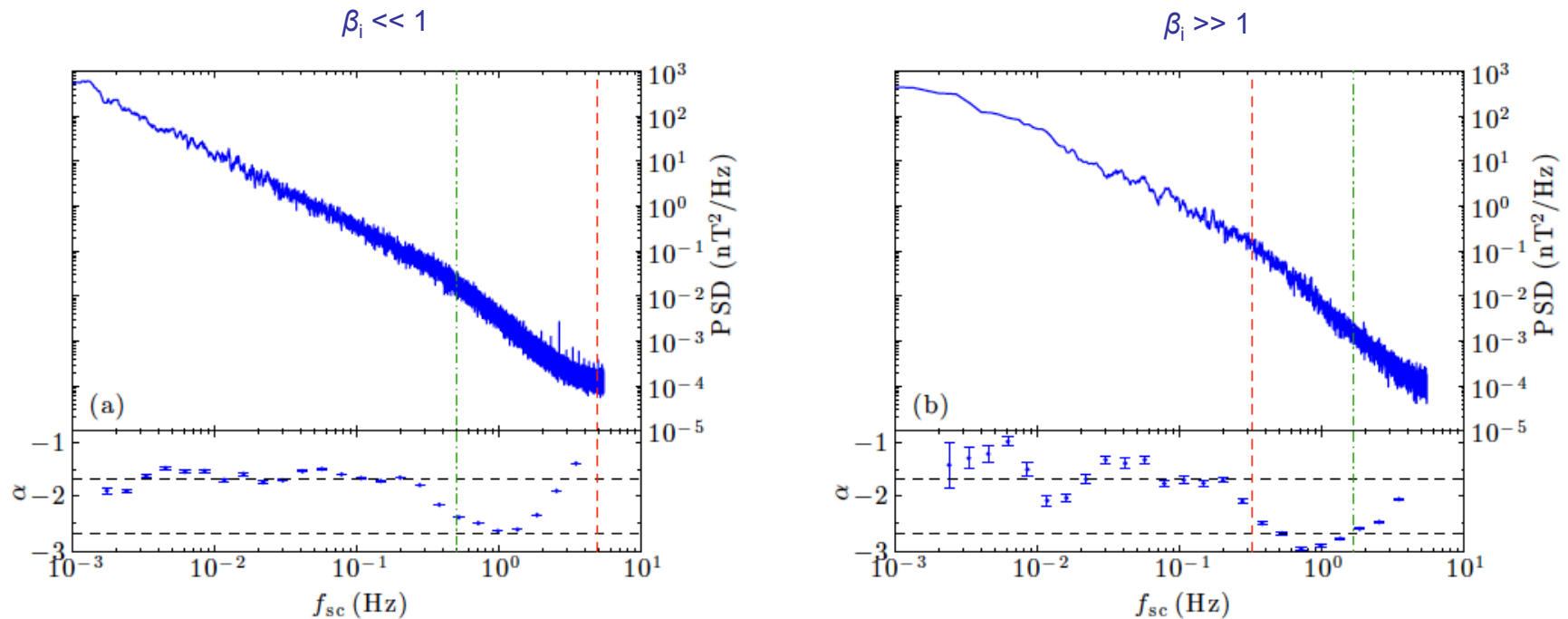
- Difficulty in distinguishing scales is that they are similar at 1 AU
- $d_i = \rho_i / \sqrt{\beta_i}$  so at  $\beta_i \sim 1$  these are the same
- We look for intervals with  $\beta_i \ll 1$  and  $\beta_i \gg 1$  so that they are measurably different
- 20 years *Wind* data to find these rare occasions
- Low beta intervals mostly in CMEs, but display long  $-5/3$  range so can study microphysics as in non-CME wind



Chen et al. 2014 GRL

# Break Scale at Low and High $\beta_i$

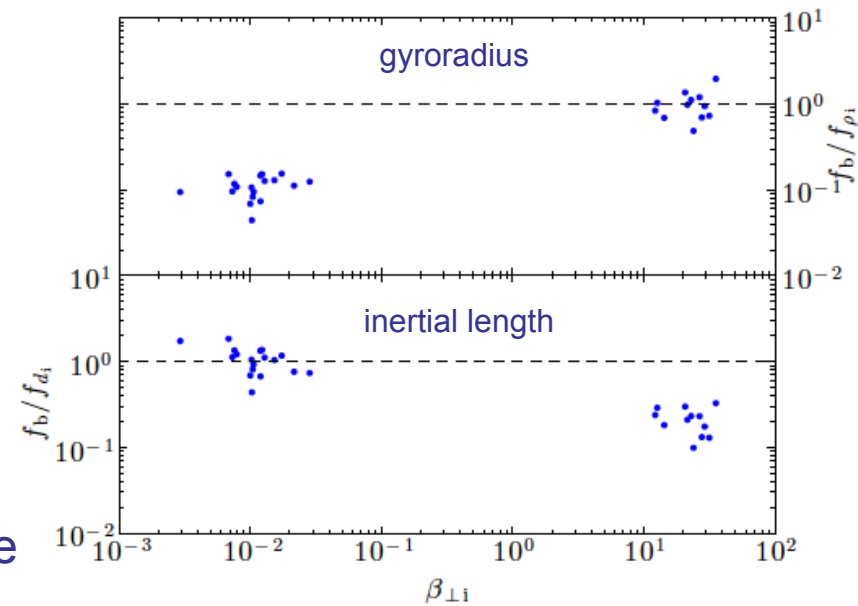
- 2 examples: high and low  $\beta_i$
- Break occurs at the larger of the scales
- Note: clear break not always seen (only in 55% of cases)



Chen et al. 2014 GRL

# Statistical Study

- Break at larger of  $\rho_i$  and  $d_i$ 
  - $\rho_i$  consistent with KAW dispersion
  - but  $d_i$  is not
- Possibilities
  - $\rho_s$  for dispersive scale at low  $\beta_i$  (but out by a factor of 5)
  - electron Landau damping (but this is not strong at these scales)
  - cyclotron resonance (but shouldn't be important for  $k_{\perp} \gg k_{\parallel}$ )
  - alternative dissipation process
  - non-thermal distributions



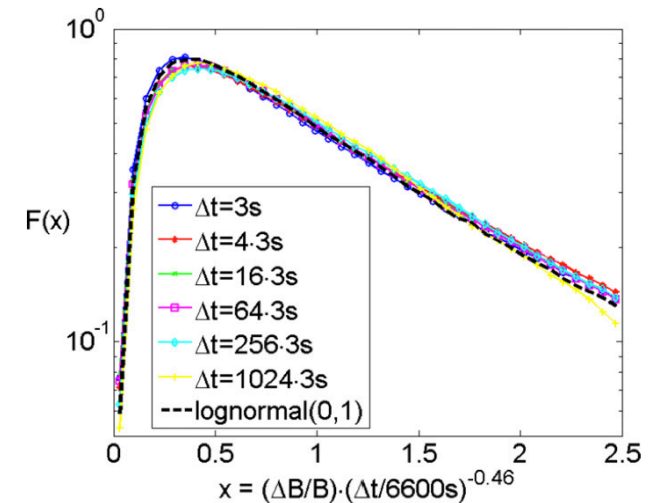
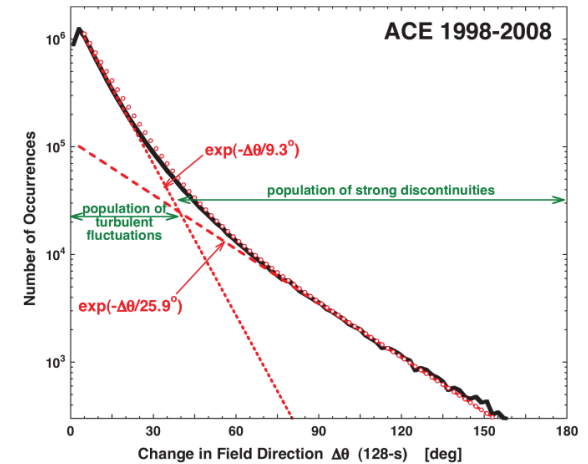
Chen et al. 2014 GRL

# 3. Magnetic Rotations in Kinetic Range

# Magnetic Field Rotations

$$\alpha(t, \tau) = \cos^{-1} \left[ \frac{\mathbf{B}(t) \cdot \mathbf{B}(t + \tau)}{|\mathbf{B}(t)| |\mathbf{B}(t + \tau)|} \right]$$

- Distribution of magnetic field rotation angles in MHD range
- Sometimes divided into turbulence + discontinuities (non-turbulence?)
- When cast as  $\delta B/B$  distribution suggested to be scale-invariant log-normal rotations
- What about in the kinetic range?
- And what does this imply about dissipation?

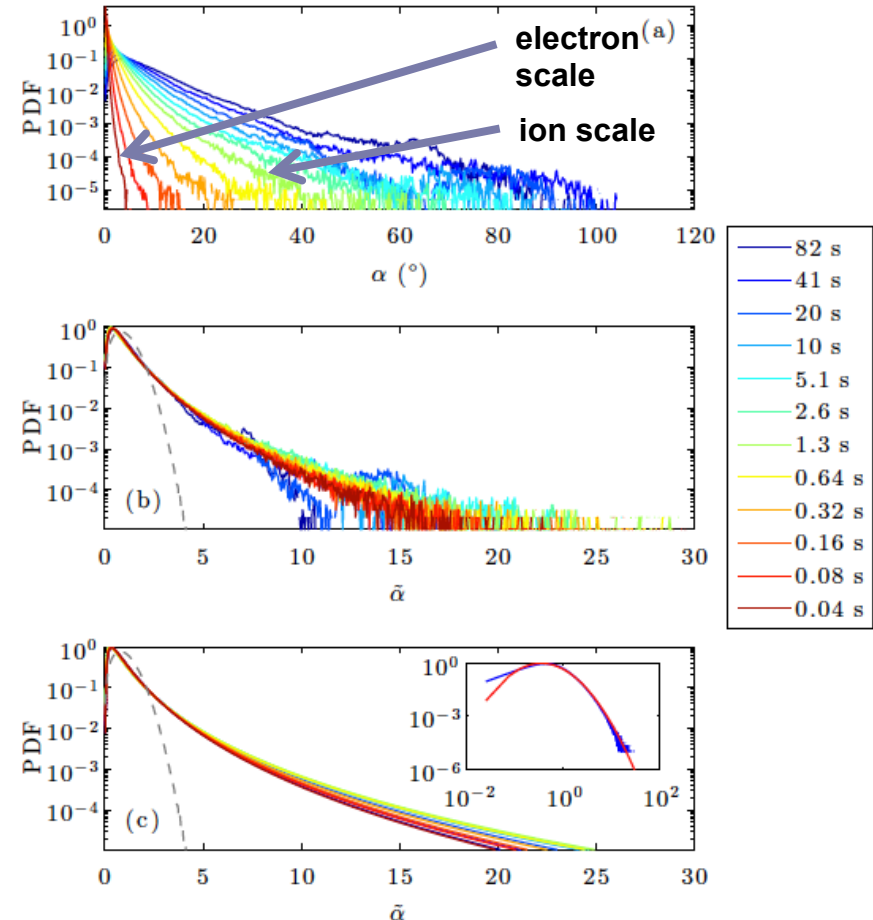


Borovsky 2010 PRL

Zhdankin et al. 2012 ApJL

# Rotations at Kinetic Scales

- Use combined FGM/STAFF Cluster data, 7 hour interval clear of foreshock
- Angles become small quickly from ion to electron scales
- Distribution is non-Gaussian but almost self-similar (like components)
- Distribution is quite well fit to log-normal, only small changes in fit parameters with scale
- May be related to distribution of energy dissipation in the plasma (Sorriso-Valvo, Zhdankin, ...)

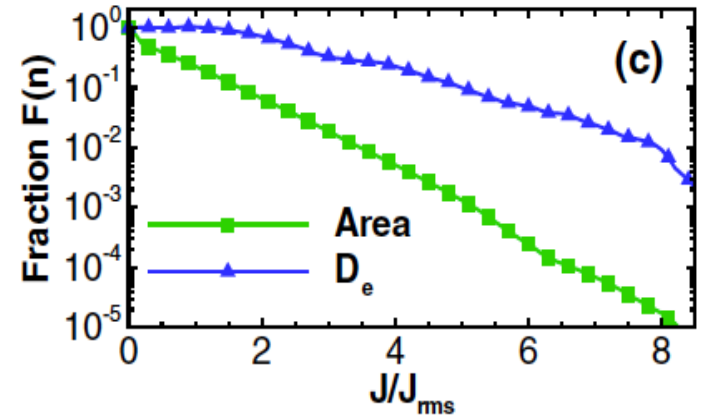


Chen et al. 2015 MNRAS

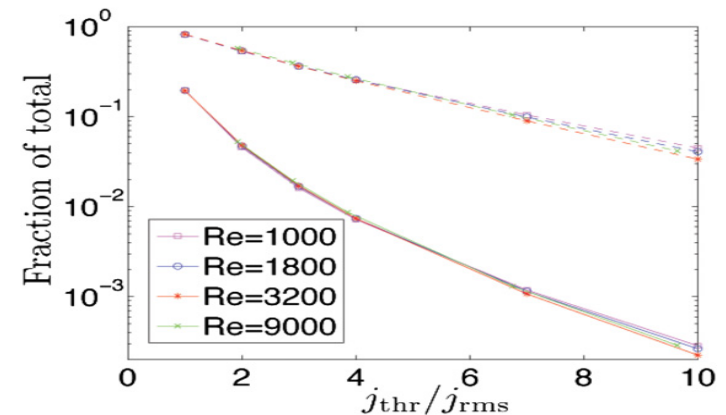


# Intermittent Energy Dissipation

- Recent simulations have shown the intermittent nature of energy dissipation
  - Wan et al.: 2D PIC
  - Zhdankin et al.: 3D MHD
- Dissipation concentrated at current structures in both simulations
- Shape of curves contains information about nature of dissipative structures
  - 2D: volume fraction is ~exponential
  - 3D: energy fraction is ~exponential



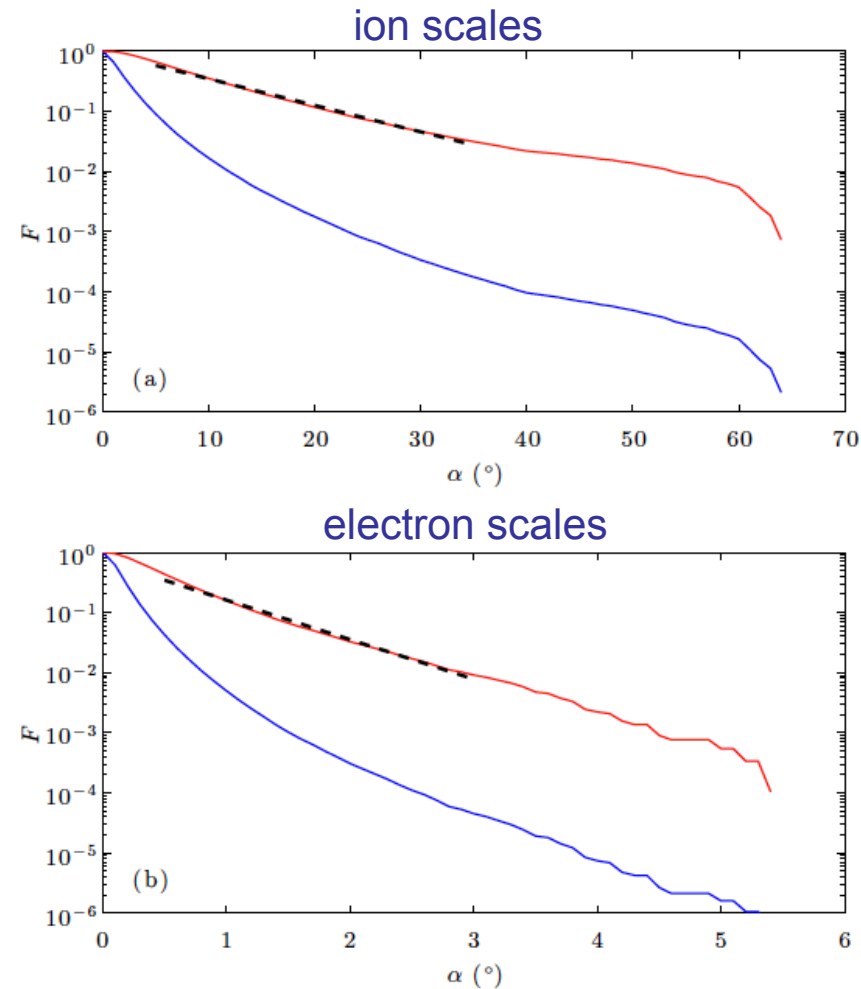
Wan et al. 2012 PRL



Zhdankin et al. 2014 ApJ

# Energy Fractions in Solar Wind

- Fraction of fluctuations with angles  $> \alpha$  (blue), fraction of energy ( $|\delta\mathbf{B}|^2$ ) in those angles (red)
- Energy drops exponentially, not much in large angles ( $\alpha > 30^\circ$ )
  - e-folding  $9.8^\circ$  at ion scales
  - e-folding  $0.66^\circ$  at electron scales
- Since  $\alpha \sim \delta B/B \sim j$ , plots can be a proxy for dissipation fraction
- Shape is more similar to the 3D MHD simulations (full dimensionality required to reproduce dissipative structures?)



Chen et al. 2015 MNRAS

# Summary

- 1. Kinetic scale fluctuations are predominantly anisotropic kinetic Alfvén turbulence, implications for cascade physics and dissipation
- 2. Spectral break occurs at the larger of  $\rho_i$  and  $d_i$ ,  $\rho_i$  in agreement with dispersive scale, but fully consistent explanation for  $d_i$  still lacking
- 3. Rotation angles in kinetic range remain log-normal, almost self-similar, but not a significant amount of energy in large angles, intermittent dissipation proxy similar to 3D MHD simulations, more comparisons needed